
Econ 100A: Intermediate Microeconomic Analysis Lecture 21

Instructor Galina A. Schwartz
University of CA, Berkeley



Plan of Today's Lecture

- We will watch the documentary
- LTCM bailout: an analysis with microeconomic tools
- Risk & return trade-off (Ch. 5, pp.171 -178)
 - Risky asset:
 - Expected return = the return earned on average (the expected value of return on the asset)
 - Actual return = the return that an asset earns
 - Real return (nominal return net of the rate of inflation)
 - Riskless (or risk free) asset = the return is known with certainty
 - Diversification: allocating resources to a variety of not closely related activities
- Capital Asset Pricing Model (Ch. 15, pp. 557 -560)
 - Diversifiable risk = can be eliminated via diversification
 - Nondiversifiable risk = cannot be eliminated via diversification
 - It is only nondiversifiable risk that matters for investors' returns
- Plan for future lectures

Information, Incentives and Risk:

- **We studied** how information helps to reduce risk, and how to value information (how much someone would be willing to pay for information depends on:
 - expected income from a project
 - risk preferences
- We discussed how to determine the value of *complete* information
 - The difference between the expected value (income / profit) of a choice with complete information and the expected value when information is incomplete
- **Now** we are interested in how firms behavior depends on information structure (incentives for information acquisition & processing) when player **actions are strategic**

Trade-off between Risk and Return:

- How do we determine the allocation of funds between the two choices?
 - b = fraction of funds in stocks (risky), R_m market return
 - $(1-b)$ = fraction of funds in T-bills (riskless), R_f risk free return
- Expected return on portfolio is weighted average of expected return on the two assets
- How risky is the portfolio? Intuitively, if $b \uparrow \rightarrow \text{risk} \uparrow$. We will use standard deviation as measure of risk. Let:
 - σ_m standard deviation of the risky asset
 - σ_p standard deviation of risky portfolio
- Then, equations 5.1 & 5.2: (derived in footnote 15, p. 174)

$$R_p = bR_m + (1-b)R_f$$

$$\sigma_p = b\sigma_m$$

- The leverage & risk-return trade off (more leverage is more risky). How to proxy the riskiness of LTCM portfolio?

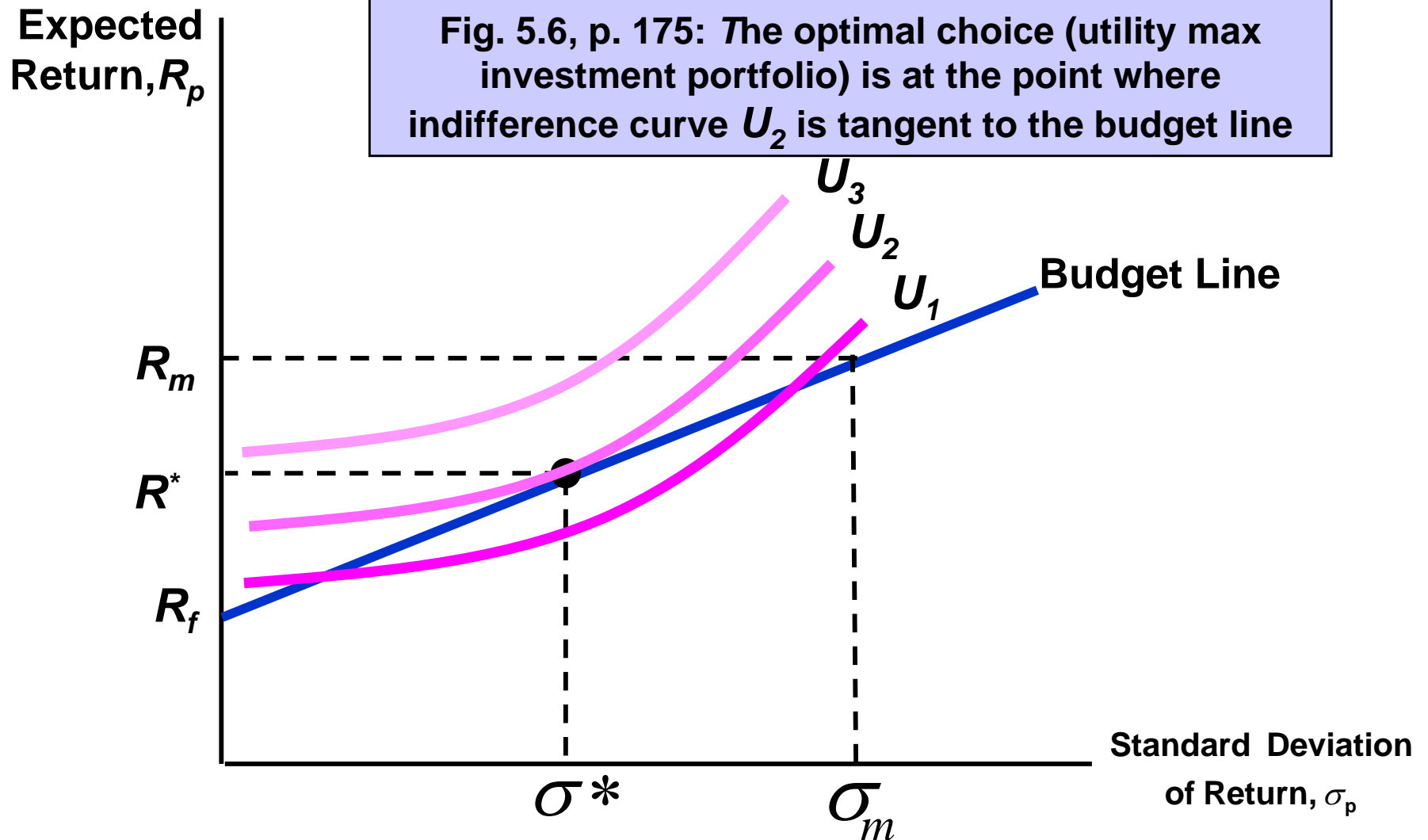
Price of Risk

- From 5.2 ($\sigma_p = b\sigma_m$) $\rightarrow b = \sigma_p/\sigma_m$
- From 5.1 ($R_p = bR_m + (1-b)R_f$) \rightarrow
$$R_p = R_f + b(R_m - R_f) = R_f + \sigma_p/\sigma_m (R_m - R_f)$$
- We derived that R_p increases with σ_p

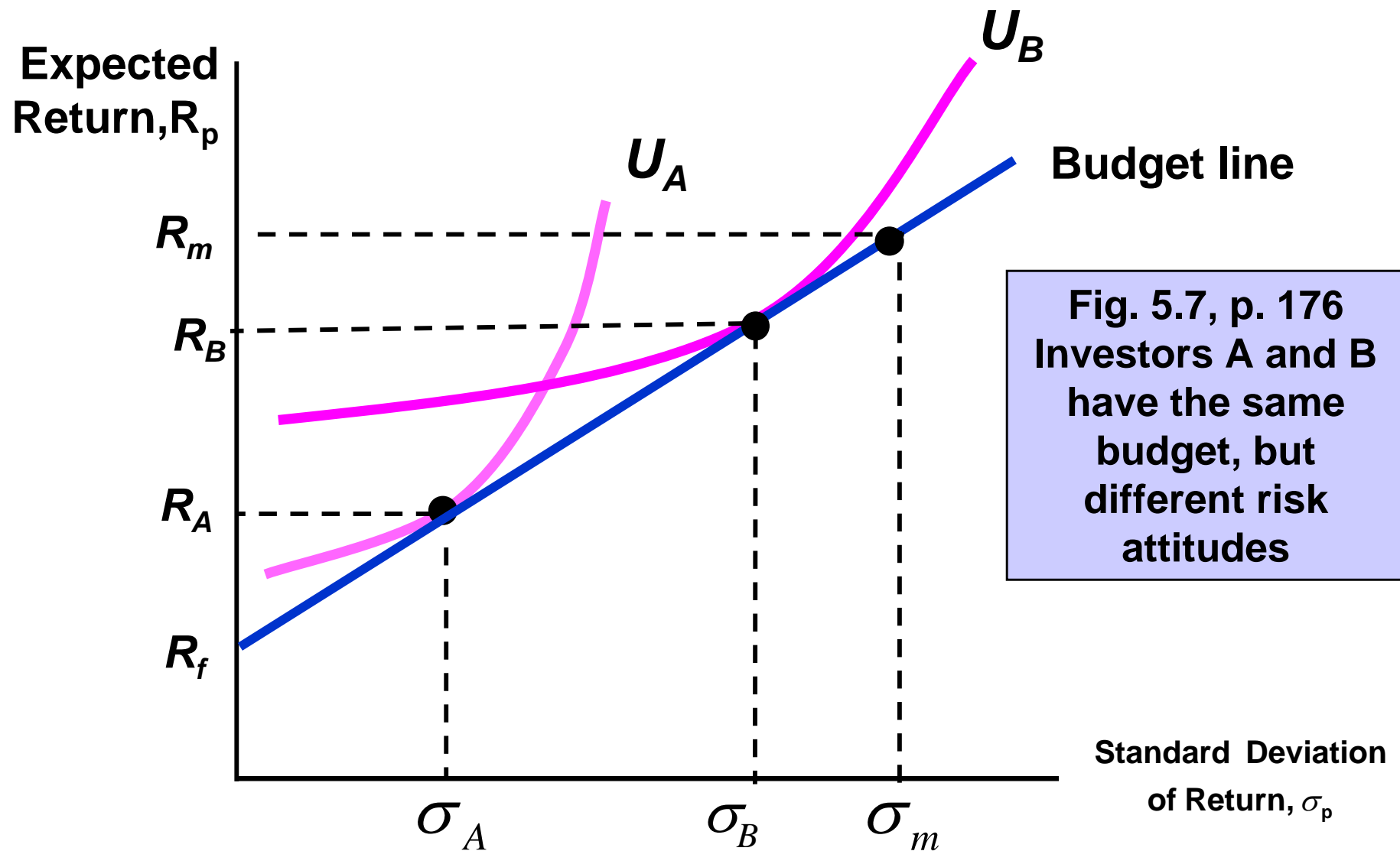
$$R_p = R_f + \frac{(R_m - R_f)}{\sigma_m} \sigma_p$$

- price of risk:
$$\text{Slope} = (R_m - R_f)/\sigma_m$$
- Price of risk tells how much extra risk an investor must incur to enjoy a higher expected return, i.e., MRS of risk and return

Risk - Return tradeoff, M., p. 175



The choices of investors differing in their risk attitude, p. 176



How much Risk to hold?

- *The answer depends on (i) price of risk & (ii) preference about risk*
- *(i) If $R_m \uparrow$ or $R_f \downarrow$ or $\sigma_m \downarrow \rightarrow$ higher fraction of risky asset becomes optimal (due to a steeper budget line)*

$$\text{Slope} = (R_m - R_f) / \sigma_m$$

- *(ii) It could be optimal (for an investor with a low risk-aversion to invest more than 100% wealth in risky asset. (By buying stocks on the margin, i.e., borrowing invest) [leveraging], (p. 177: expected return R_p is higher than market one R_m , and (σ_p higher than σ_m)).*
- LTCM:
 - Their “technology” (dynamic hedging) permitted to maintain lower σ_m than of a typical old-fashioned portfolio \rightarrow High leverage is optimal for LTCM partners. But their estimates were based on historical σ .
 - Events of 1998: a decrease of R_f and an increase of σ (due to exogenous reasons (Asian crisis and Russian default)).

Opportunity Cost of Capital

- Q: How to determine the proper discount rate (or interest rate or opportunity cost of capital)?
 - The firm must determine the opportunity cost of its money
 - The correct value of the discount rate should equal the rate that the firm could earn on a *similar* investment
 - 'similar' investment: investment with the same risk
 - If no risk, opportunity cost is what the firm could earn on a government bond
- Adjustment for risk: How to determine the discount rate for an uncertain environment?
 - This can be done by increasing the discount rate by adding a **risk-premium** to the risk-free rate
 - **risk-premium** = amount of money that a risk-averse individual will pay to avoid taking a risk

Diversifiable vs. Nondiversifiable Risk

- **Diversifiable risk** can be eliminated by investing in many projects (or by holding many stocks)
 - spreading the risk over many options
 - Invest in many types of investments – diversify portfolio; Firms invest in many different projects
 - No reward for assets that have only diversifiable risk – tend to earn return close to risk free return [on average]
- **Nondiversifiable risk** cannot be eliminated by diversification (should be accounted in the risk premium)
 - Some risk cannot be eliminated or avoided
 - Company profits depend on the economy – boom or recession
 - Future economic growth is uncertain so cannot eliminate all risk
 - Investors should be rewarded for bearing these risks (when opportunity cost of investing is higher, rate of return must include risk premium)

Capital Asset Pricing Model (CAPM)

- The Capital Asset Pricing Model (CAPM)
 - Model in which the risk premium for a capital investment depends on the correlation of the investment's return with the return on the entire stock market
 - If you invest in a mutual fund, there is no diversifiable risk, because you already have diversified, but there is nondiversifiable risk, because stocks tend to move with economy
 - Expected return on stocks is higher than on risk free investment

Capital Asset Pricing Model (CAPM)

- CAPM summarizes the relationship between expected return and risk premium
 - r_m = expected return of the stock market
 - r_f = risk free return
 - $r_m - r_f$ = risk premium for nondiversifiable risk

$$R_p = R_f + \frac{(R_m - R_f)}{\sigma_m} \sigma_p$$

$$r_i - r_f = \beta(r_m - r_f)$$

r_i = expected return on an asset

β = asset beta

CAPM: Adjustments for Risk

- Return on some assets is correlated with stock market as a whole
- The asset beta, β , measures the sensitivity of an asset's return to market movements and, therefore, the asset's nondiversifiable risk
 - 1% rise in market resulting in a 2% rise in asset price means the beta is 2
 - 1% rise in market resulting in a 1% rise in asset price means beta is 1
 - The larger the beta, the greater the expected return on the asset

Summary of Today & Plan of Next Lecture

- Ch. 5: material on Risky Assets; Ch. 15: CAPM
- Next: in the LTCM analysis we will touch:
 - Lecture 22: Ch 12: LTCM as cartel
 - Lecture 23: Ch. 13: LTCM: strategic games [Fed & cartel, LTCM partners & Buffet]
 - The games Fed plays: “Too big to fail” an example of the game without pure strategy equilibrium
 - Prisoners dilemma in bailout cartel
 - Lecture 24:
 - LTCM unwinding: the ability to move the markets: a blessing or a curse? (+ agency + information)
 - Cartel: Expected returns & real returns. So, why cartel members were reluctant?
 - JWM change of mind as profit maximization. The feedback of investor risk preferences on financial intermediaries
 - Lecture 25: LTCM as an agency problem
 - Agency problem managers/owners and workers (in LTCM: banks and their traders)
 - Asymmetric information
 - In LTCM: (market beliefs (subjective) and fundamentals)
 - In LTCM: Why cartel members were reluctant? (due to market beliefs)
 - Lecture 26: Ch. 18 Public goods & externalities: FED in the LTCM bailout
 - enforcing the antitrust
 - providing financial system stability
 - information signaling
 - free riding in financial markets